A NOVEL METHODOLOGY TO CREATE GENERATIVE STATISTICAL MODELS OF INTERCONNECTS

Simon De Ridder, Paolo Manfredi, Jan De Geest, Tom Dhaene, Daniël De Zutter, Dries Vande Ginste / 14-12-2016







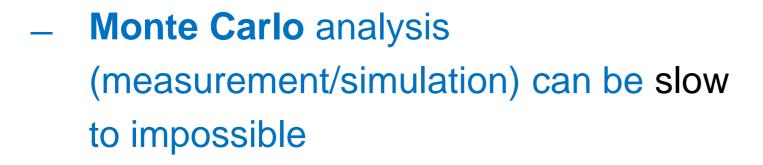
<u>OUTLINE</u>

- Current Issues
- Proposed model
- Applications
 - Multiconductor Transmission Line
 - Connector footprint
 - Cascade of components
 - Time domain
- Conclusion



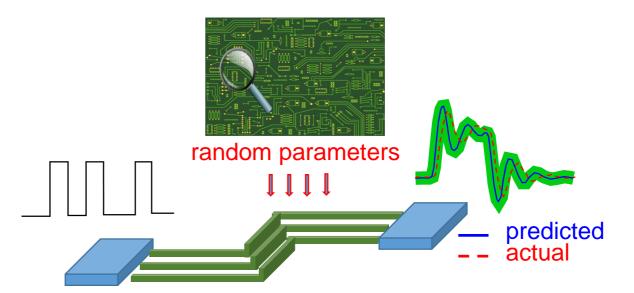
CURRENT ISSUES

 Variability is introduced by the manufacturing process

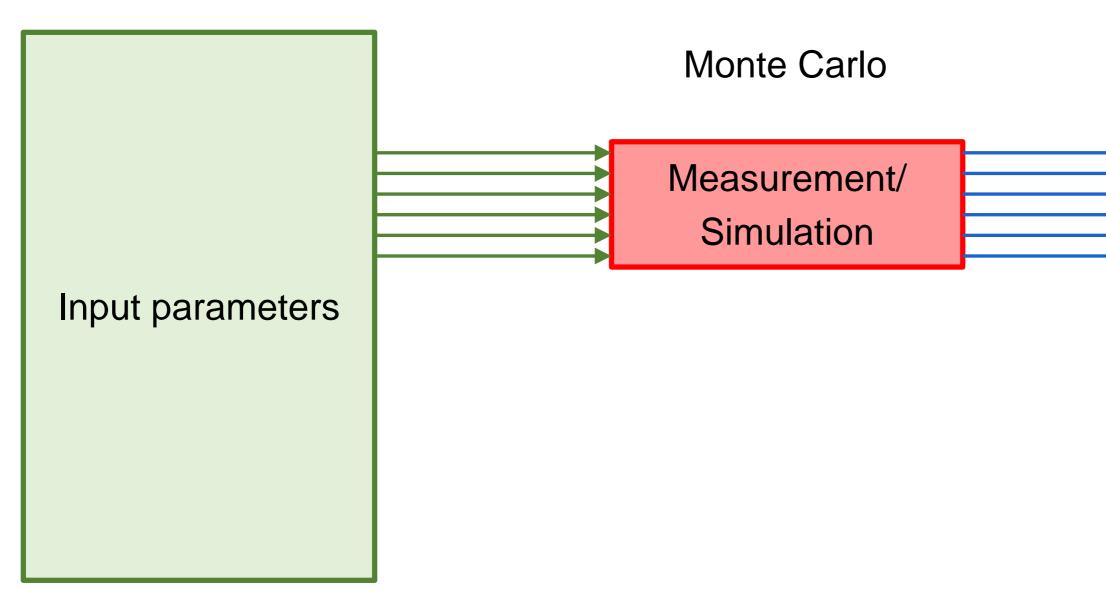




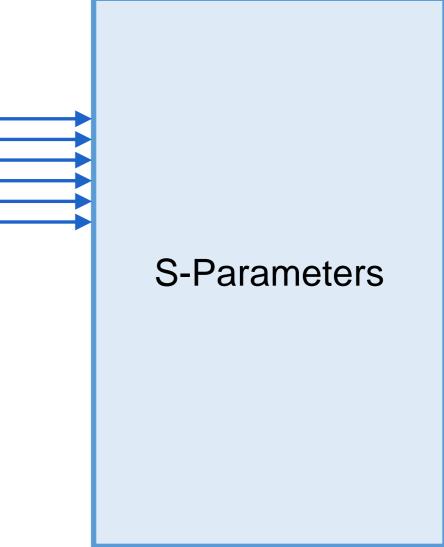


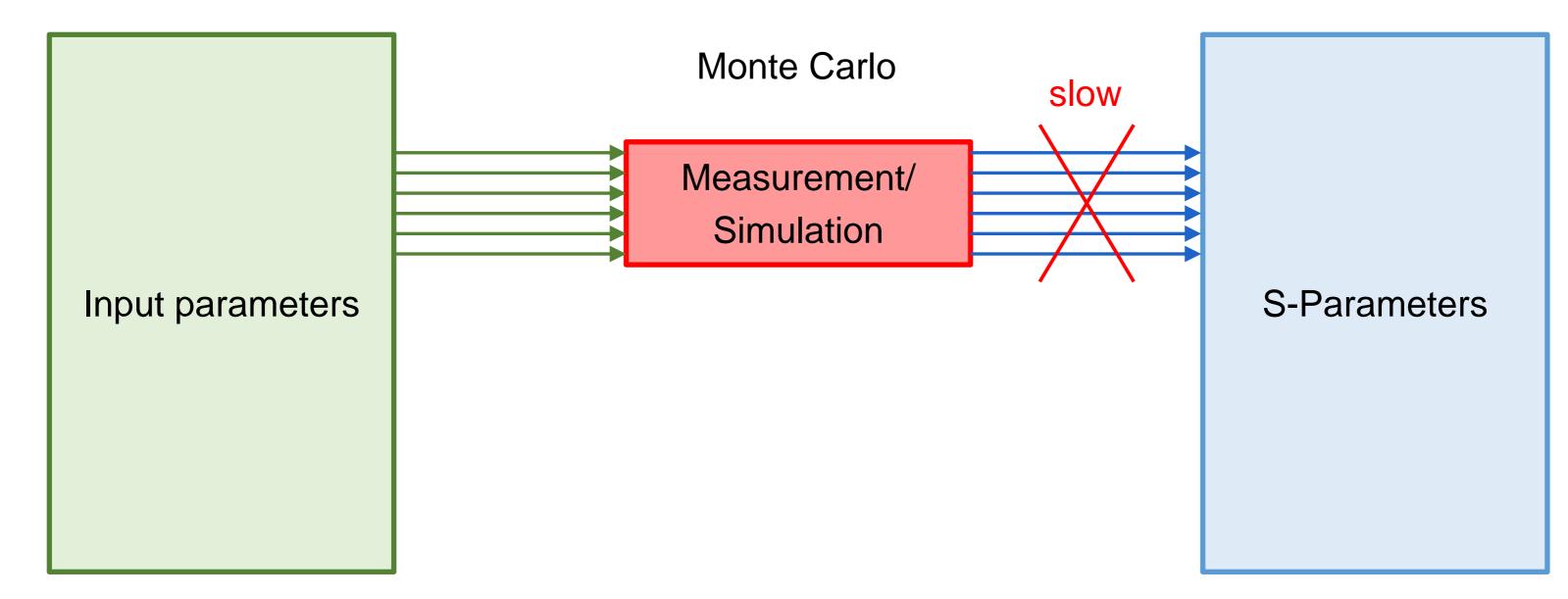




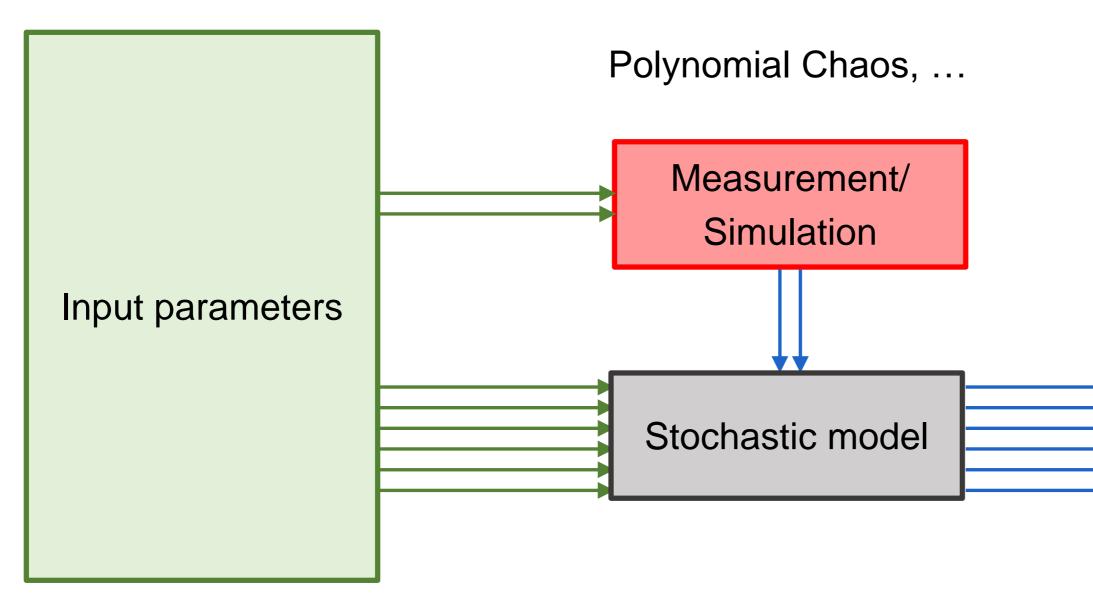




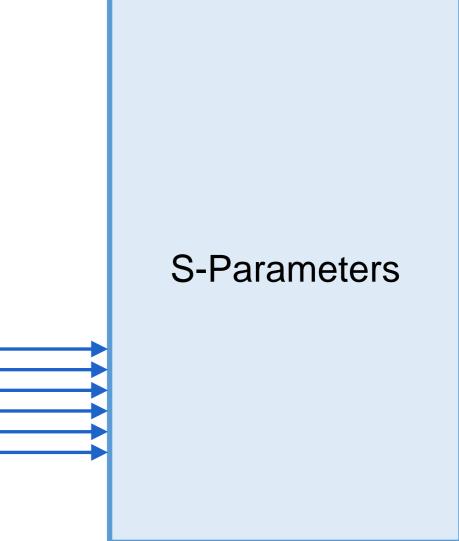


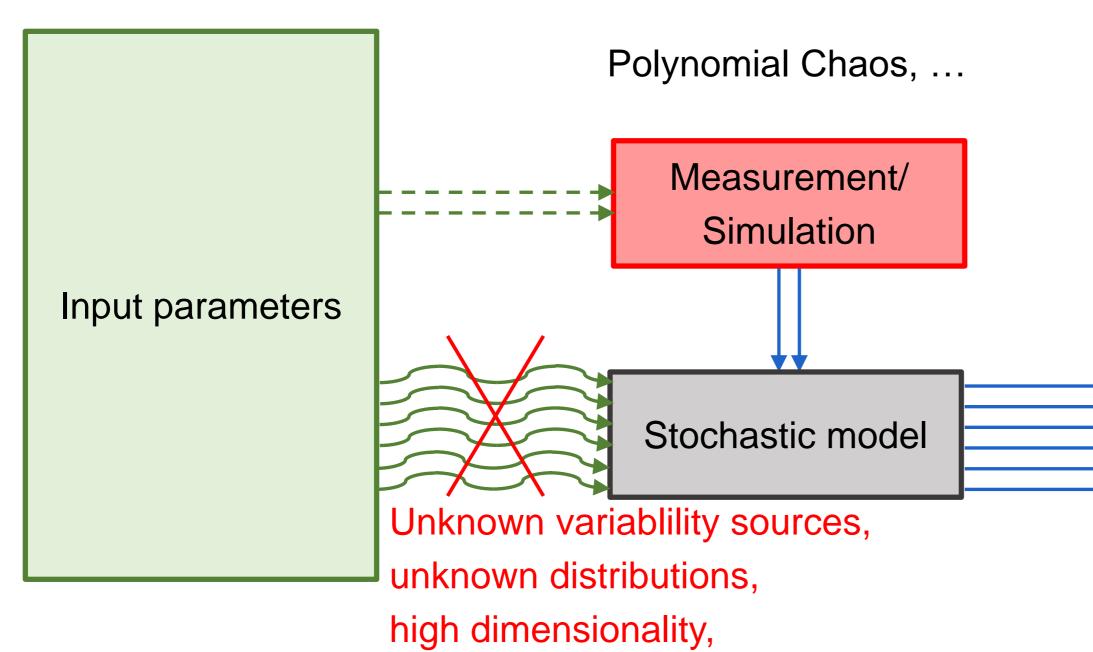






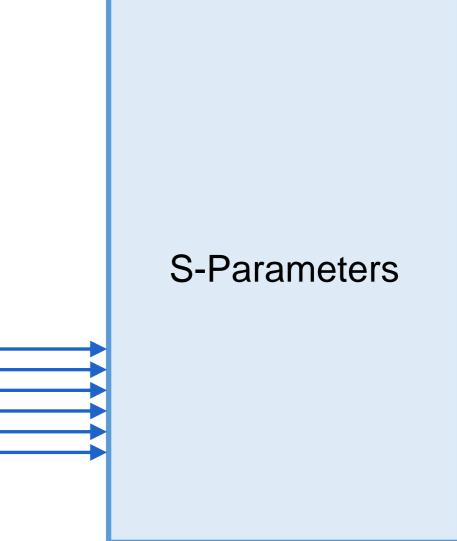


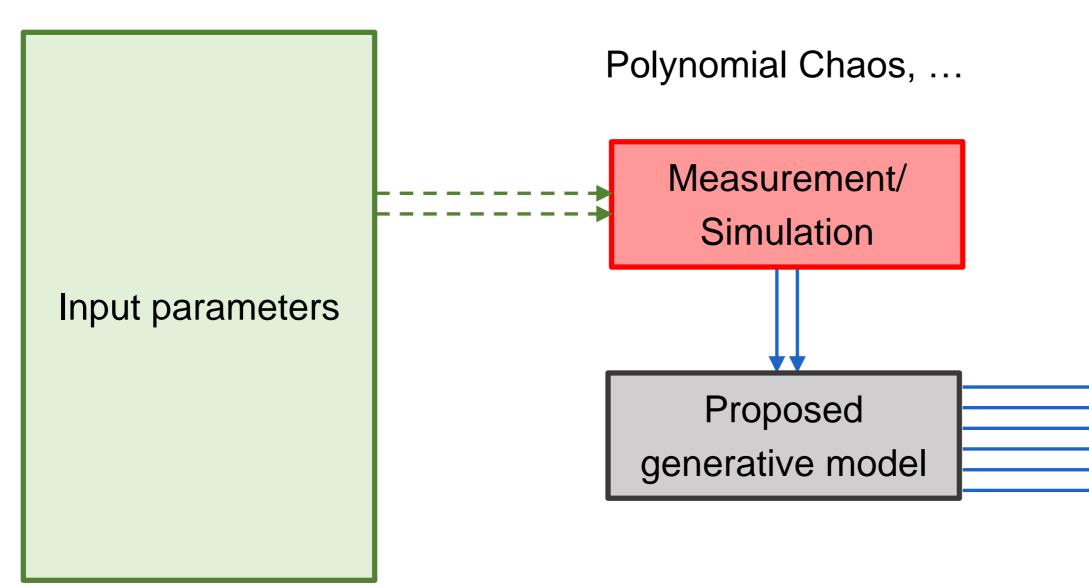




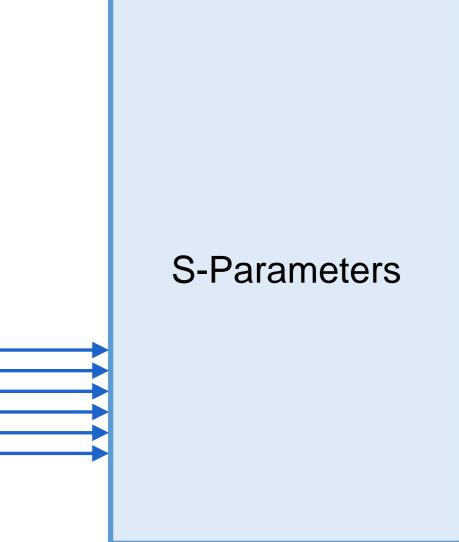
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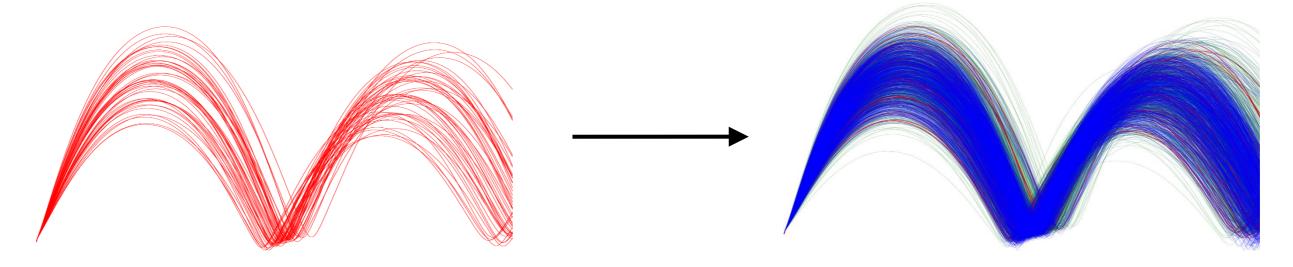




PROPOSED SOLUTION

To overcome these issues, we propose the following modeling method:

small set of expensive training samples



Three-step model:

- **Vector Fitting** (VF)
- **Principal Component Analysis** (PCA)
- Kernel Density Estimate (KDE)

Selection of **passive samples** in post-processing



large set of cheap generated samples

Vector Fitting [1,2]:

Expand S-parameters of training samples into partial fractions:

$$\bar{\bar{S}} \approx \sum_{k=1}^{N} \frac{\overline{\bar{R}_k}}{s - a_k}$$

with **stable**, complex conjugate pole pairs a_k , and <u>common poles</u> for all training samples

→ Set of N residue matrices $\overline{R_k}$ for each training sample (frequency-independent)

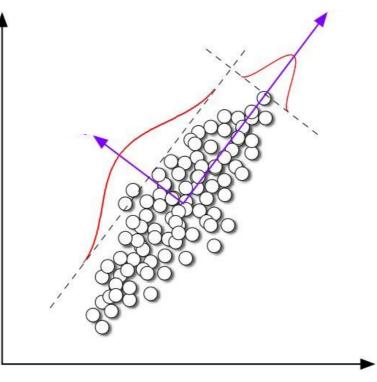


[1] B. Gustavsen and A. Semlyen, IEEE Transactions on Power Delivery, vol. 14, pp. 1052-1061 (1999)
[2] D. Deschrijver et al., IEEE Microwave and Wireless Components Letters, vol. 18, pp. 383–385 (2008)

Principal Component Analysis (PCA) [3,4]:

 $N(N_p \times N_p)$ complex symmetric matrices $\overline{R_k} \rightarrow NN_p(N_p + 1)$ real variables

Apply PCA to reduce dimensionality and remove linear correlations

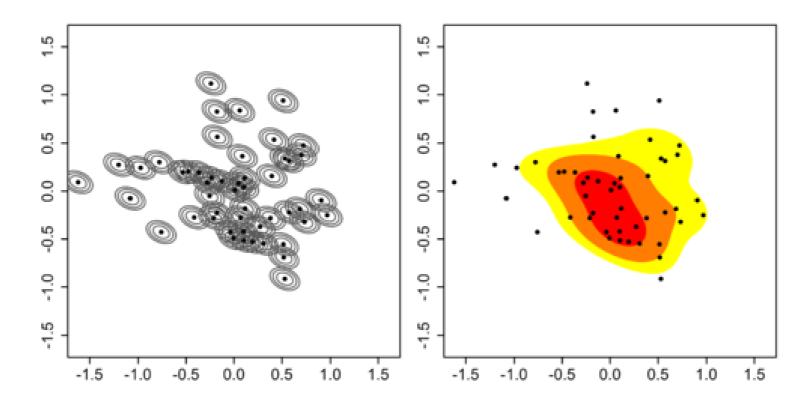




[3] H. Hotelling, Journal of Educational Psychology, vol. 24, pp. 417–441 (1933) [4] H. Abdi and L. J. Williams, Wiley Interdisciplinary Reviews: Computational Statistics, vol. 2, pp. 433-459 (2010)

Kernel Density Estimation (KDE) [5]:

- Estimates a distribution by placing a multivariate 'kernel' (e.g. Gaussian) on each training point. _ The estimated PDF is a normalized sum of the kernels.
- models nonlinear correlations

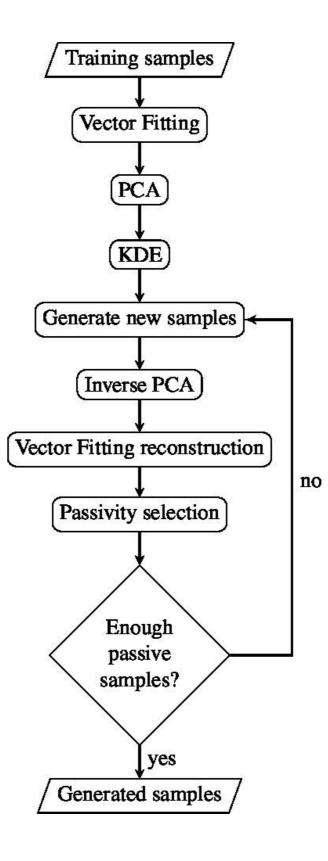




[5] M. Kristan et al., Pattern Recognition, vol. 44, pp. 2630–2642 (2011)

Generative model:

- Generate new samples from KDE
- After inverse PCA, build S-parameters using common poles
- Passivity selection in post-processing:
 - Nonpassive samples are rejected (no bias)
 - New samples are generated until goal is reached

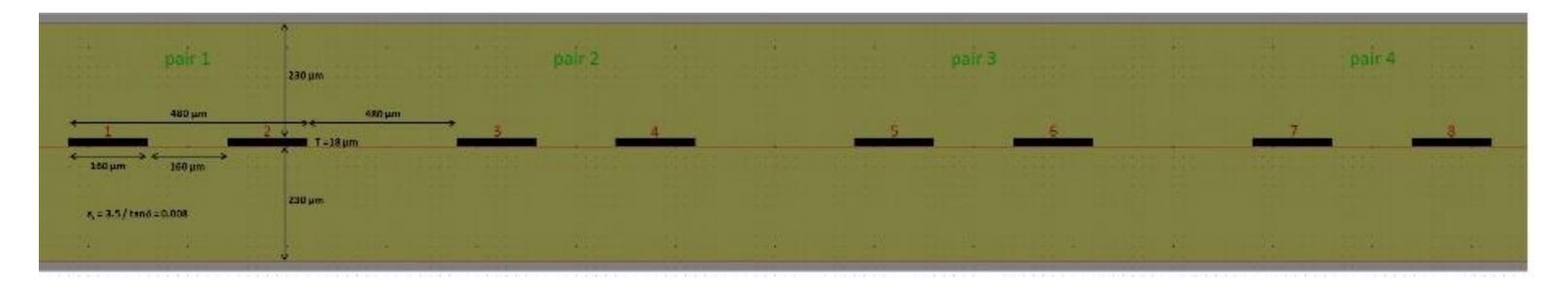




Stripline MTL:

- 4 pairs of lines
- 16 ports
- **Differential signaling**
- Varying ε_r

- Modeled through RLGC-parameters
- Length: 10.0 cm
- 1000 simulated RLGC-parameters
- 50 training samples

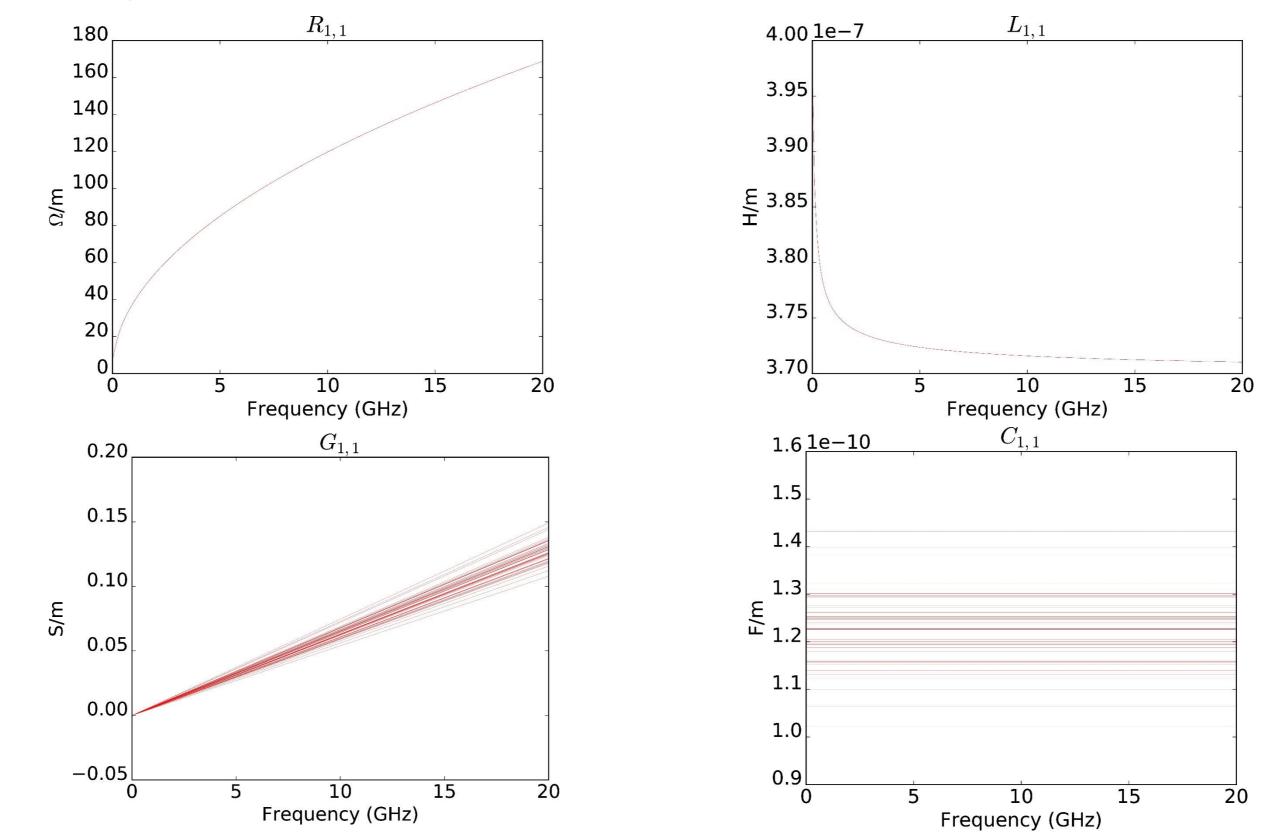




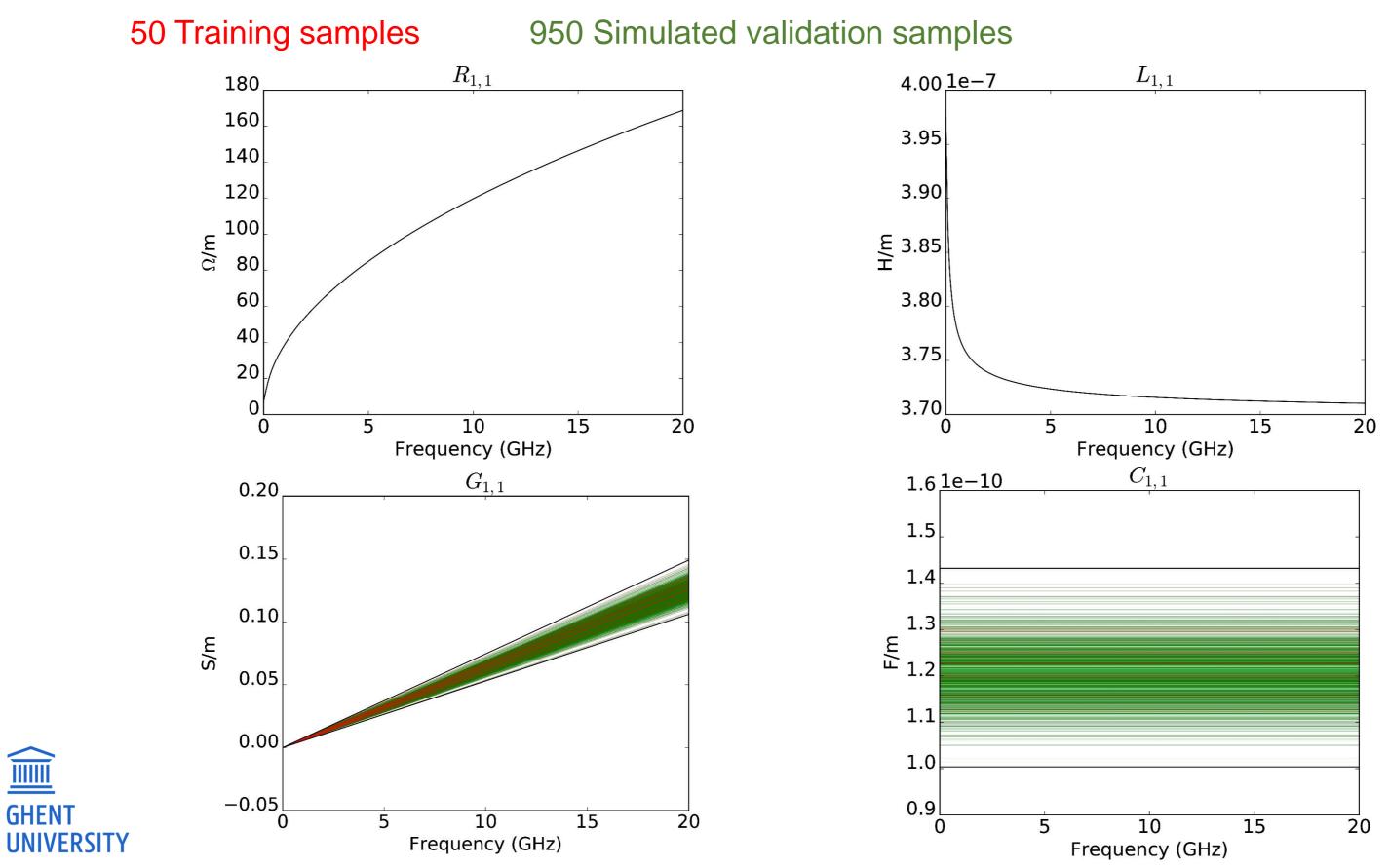
50 Training samples

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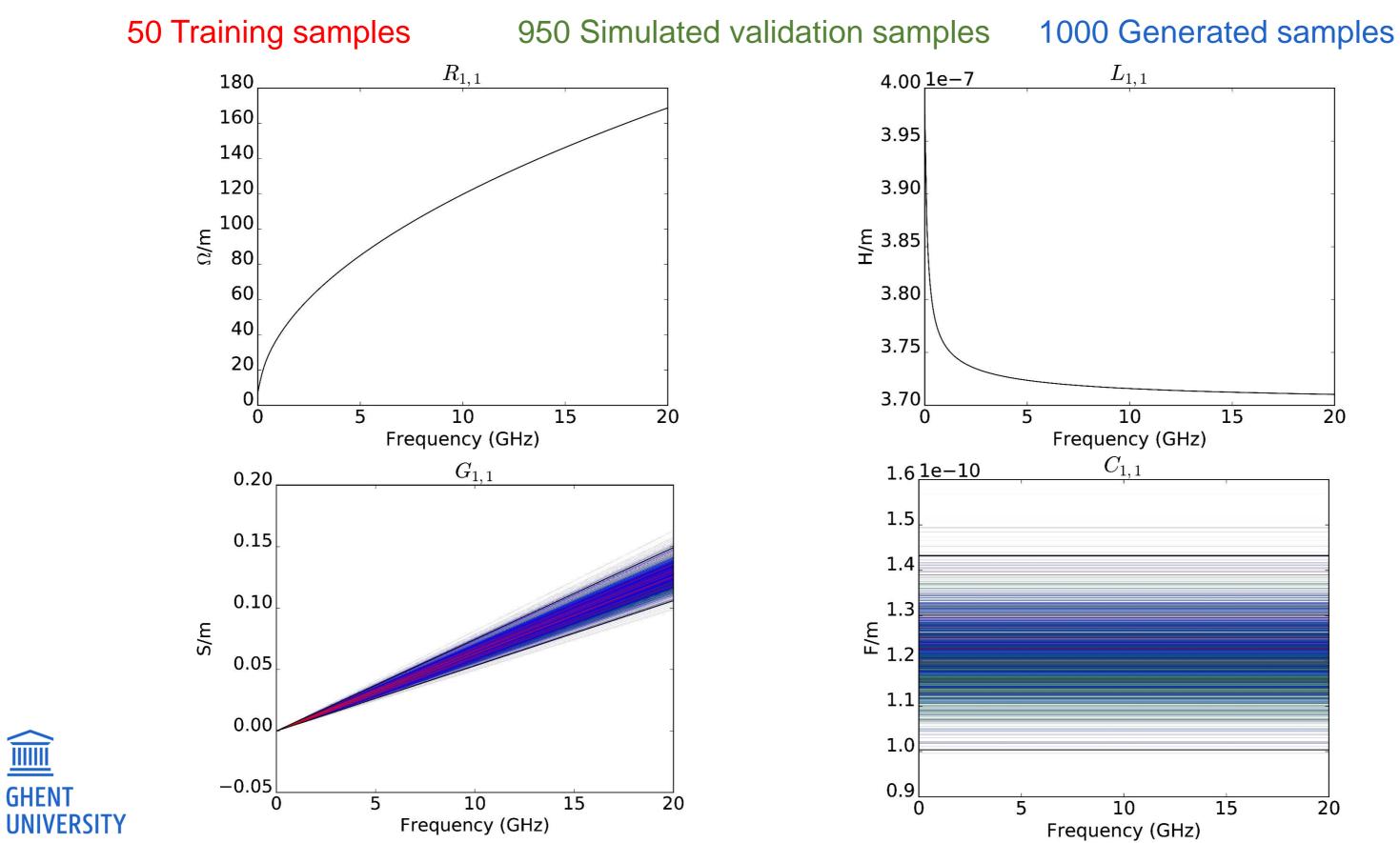
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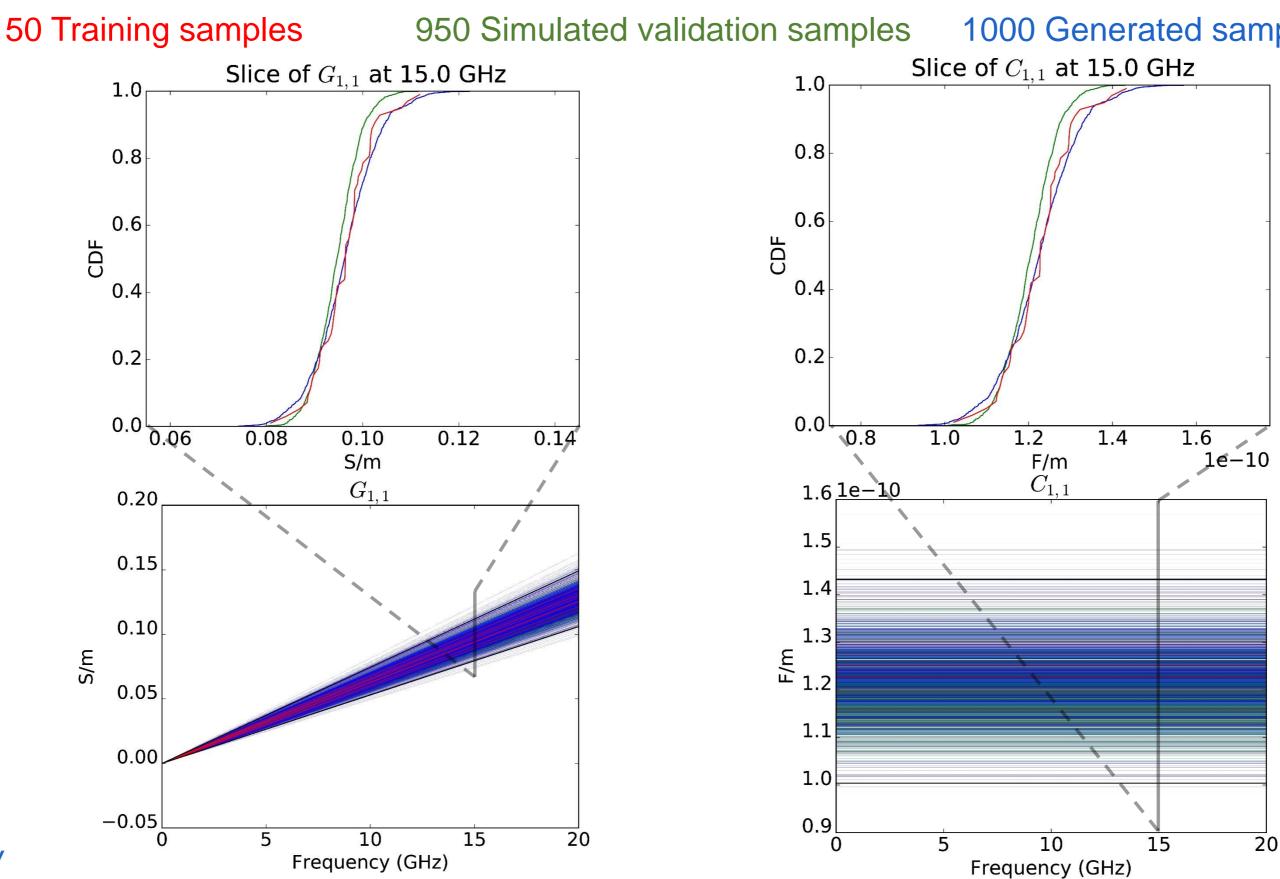


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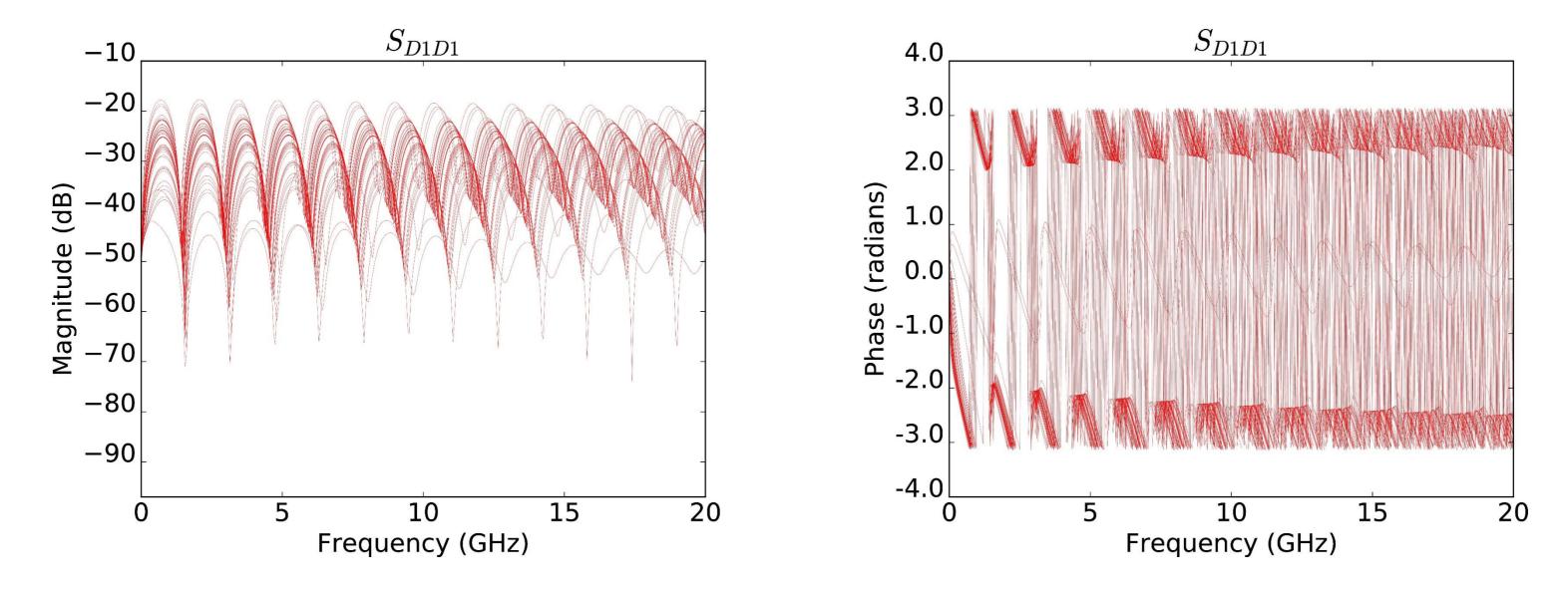






1000 Generated samples

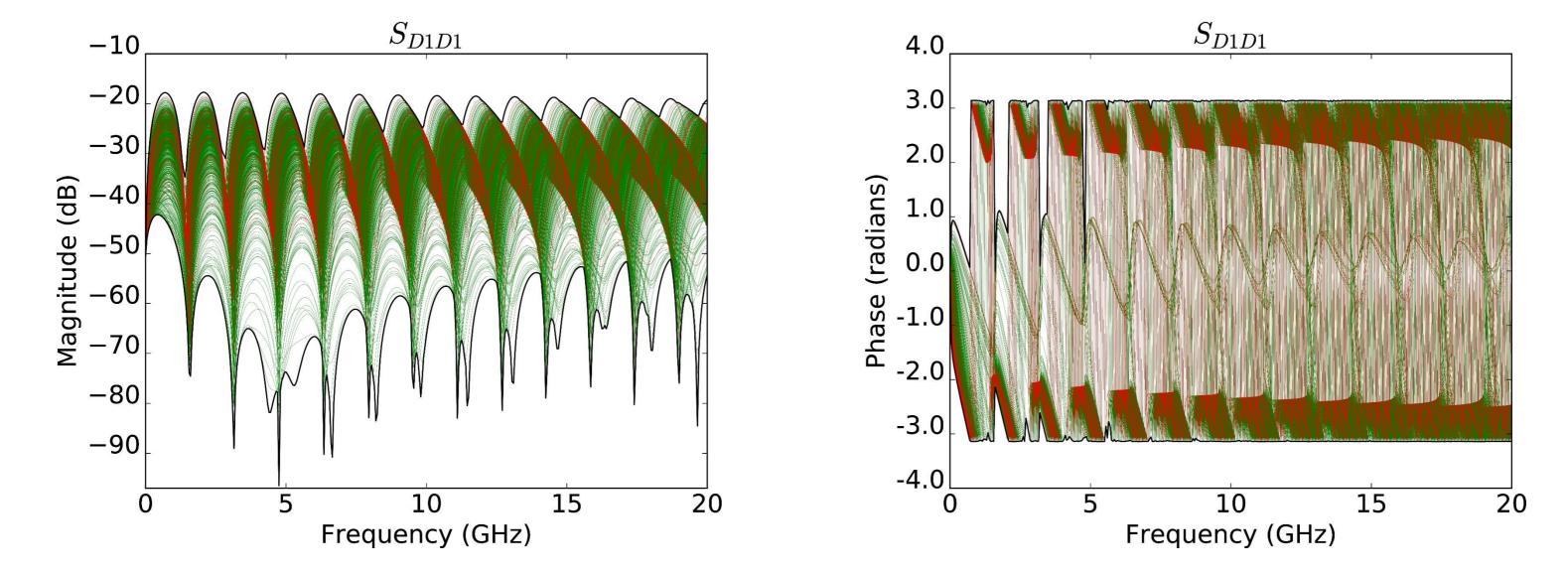
50 Training samples





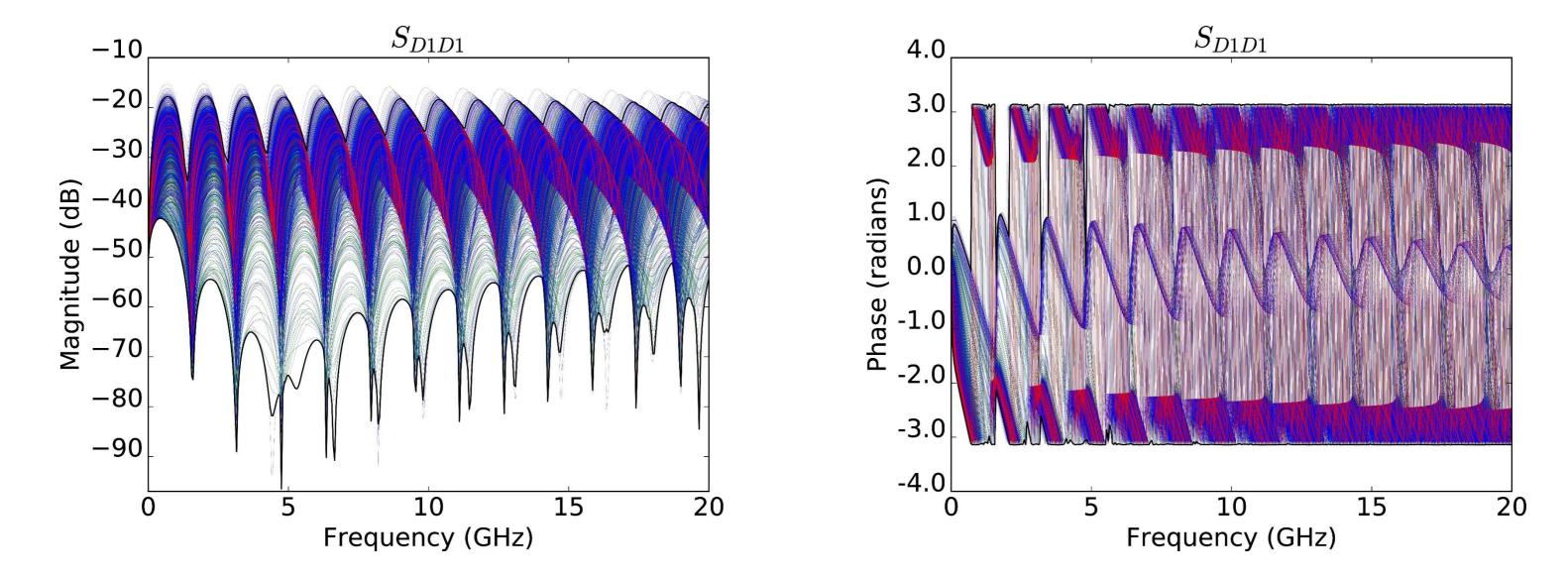
50 Training samples 950 Simulate





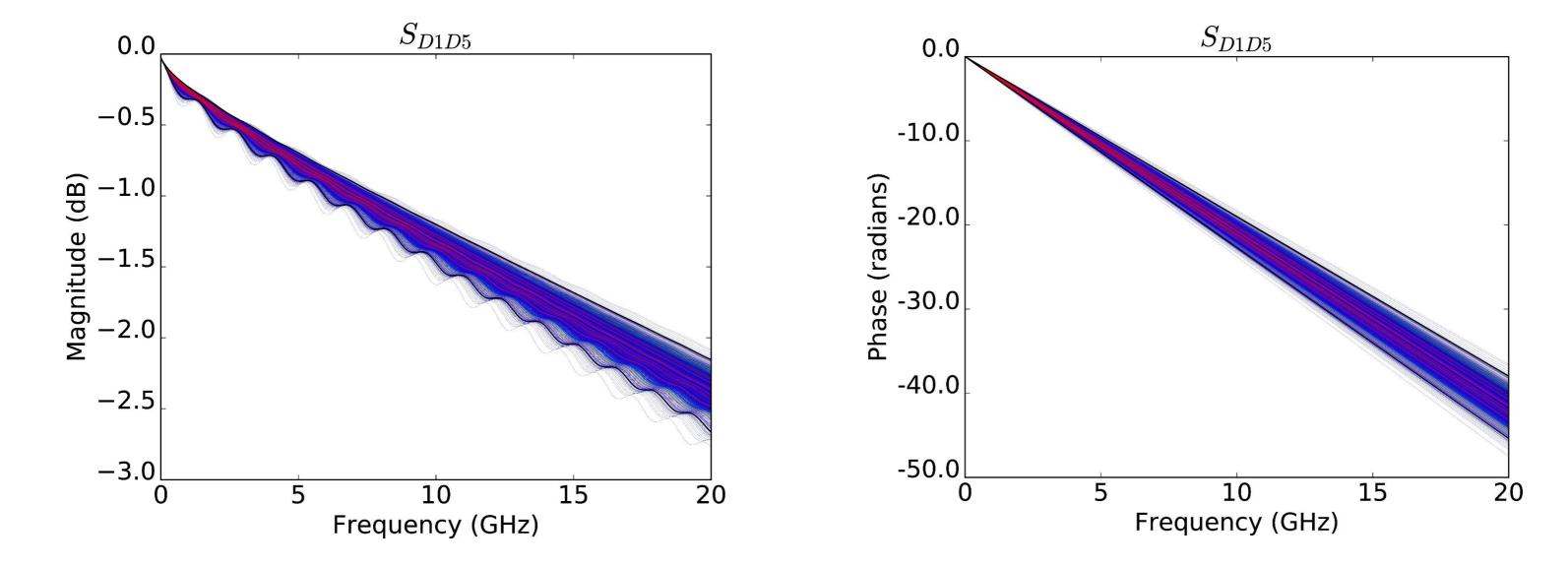


50 Training samples950 Simulated validation samples1000 Generated samples



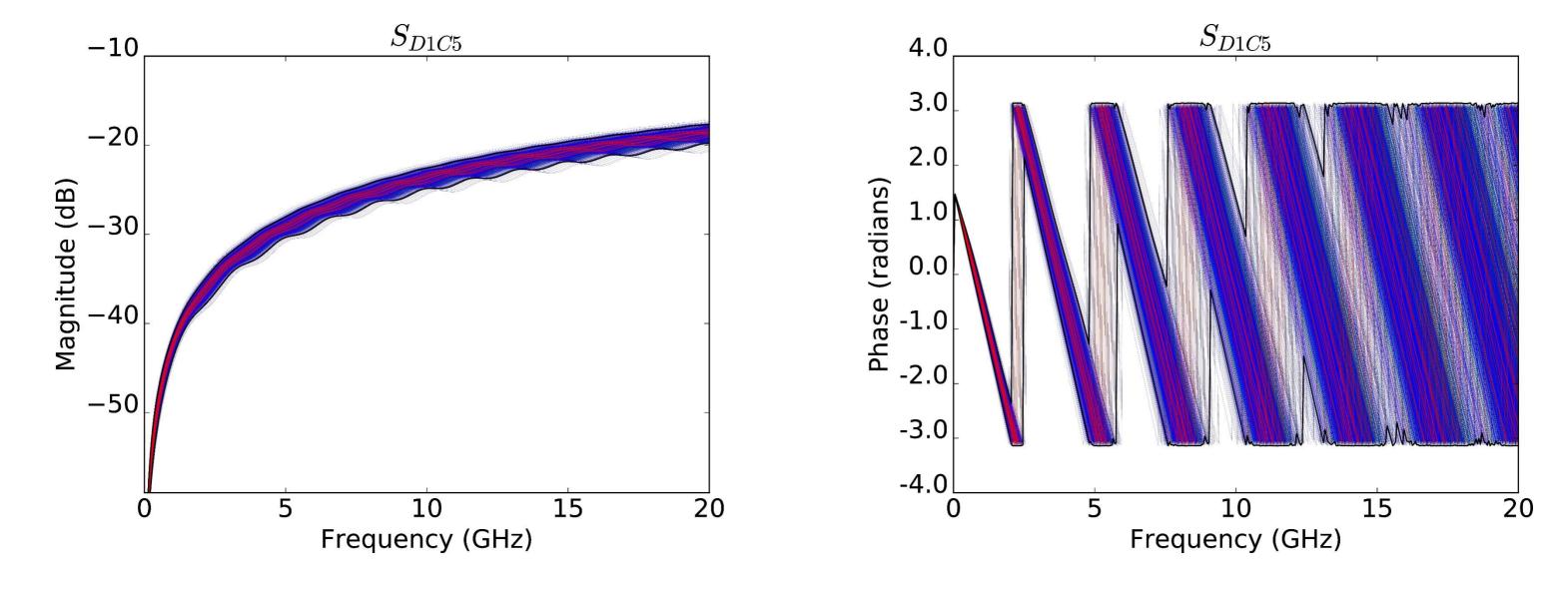


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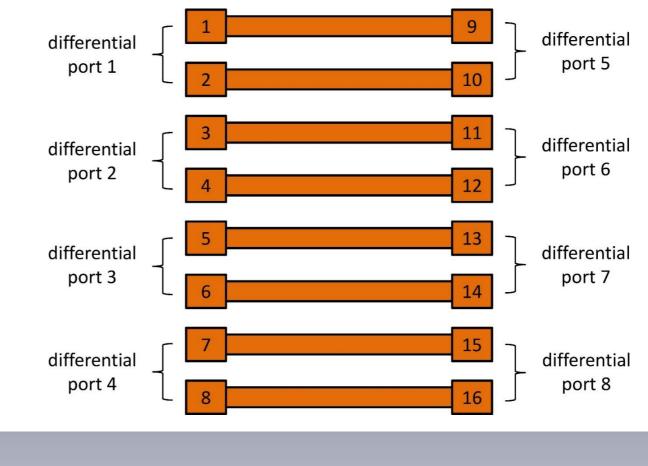
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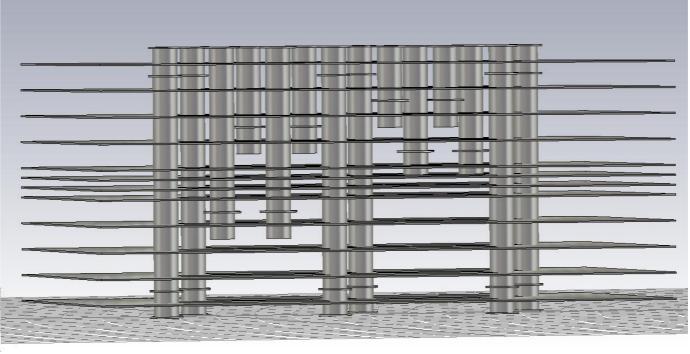
50 Training samples950 Simulated validation samples1000 Generated samples



Connector footprint:

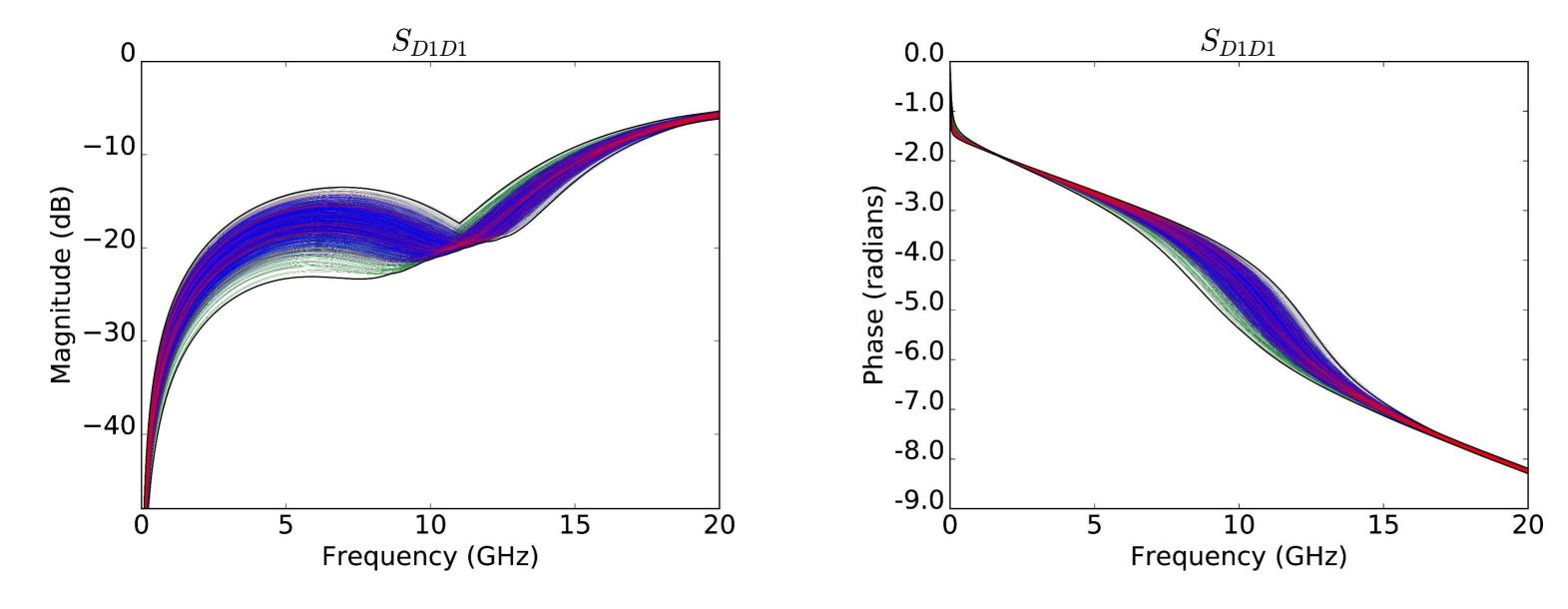
- 4 pairs of lines
- 16 ports
- Differential signaling
- 40 varying input parameters (uniform)
- 450 simulated S-parameters
- 50 training samples



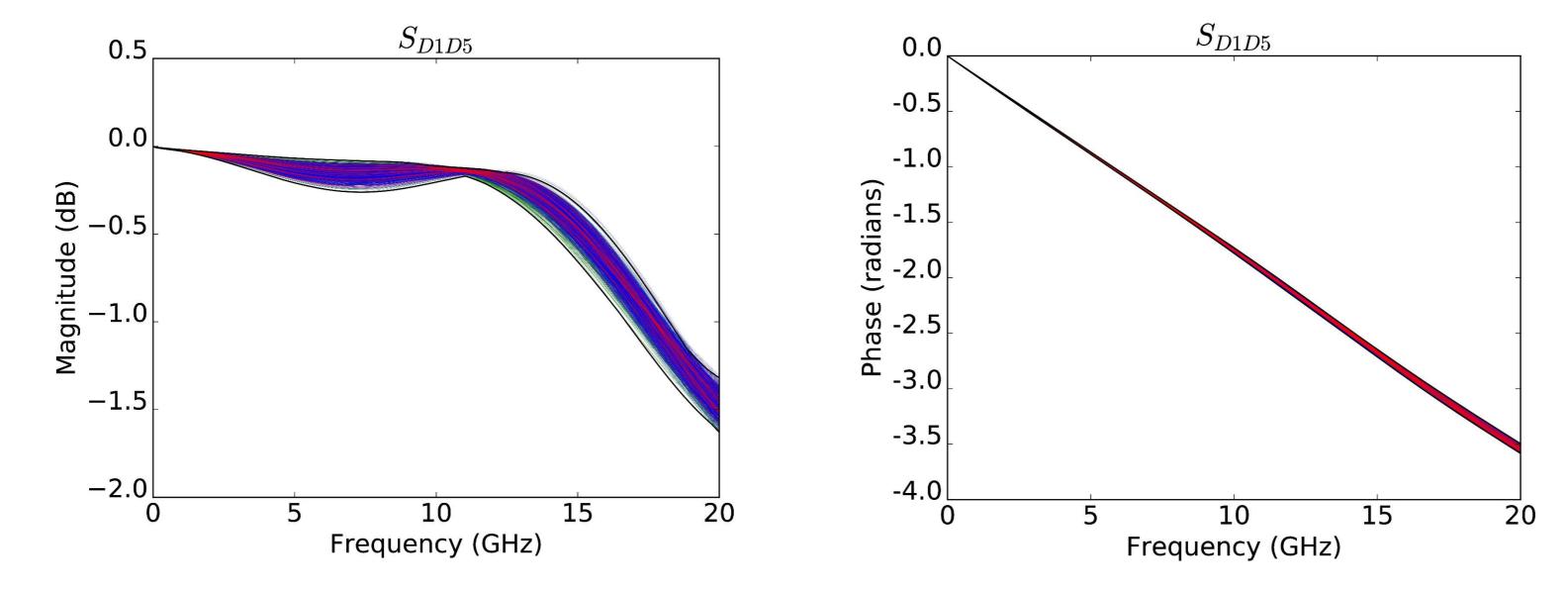




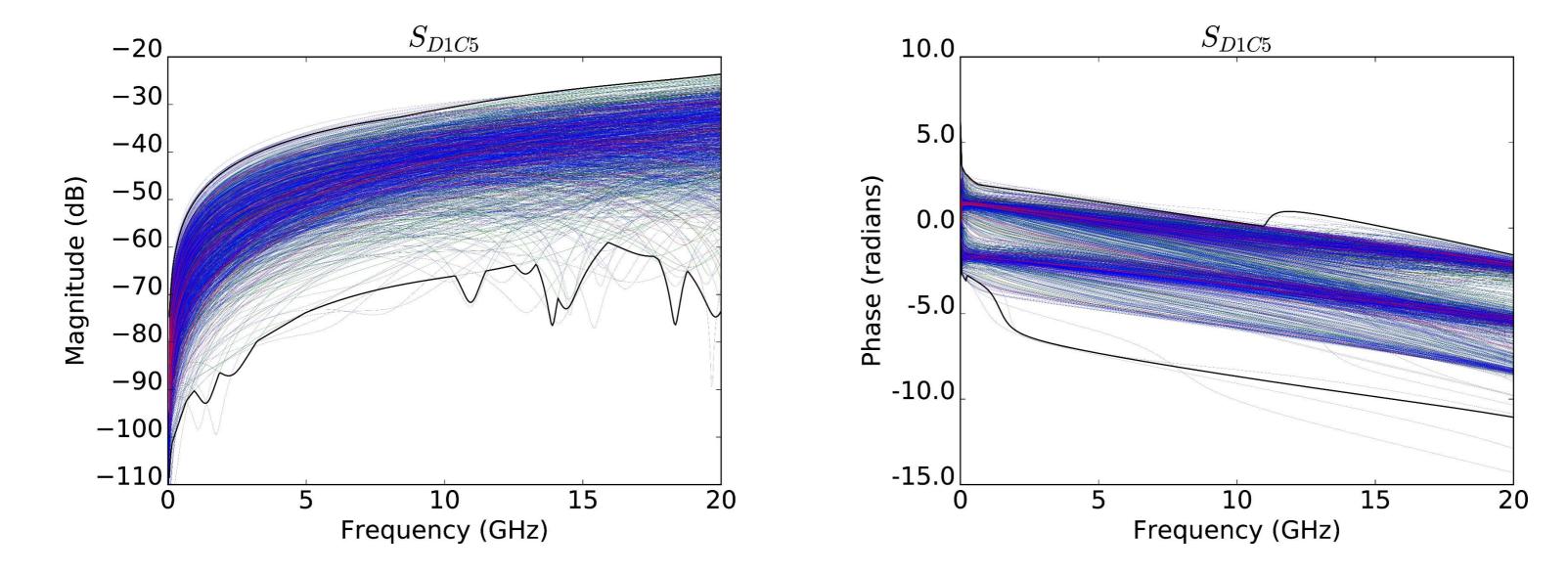
50 Training samples400 Simulated validation samples450 Generated samples



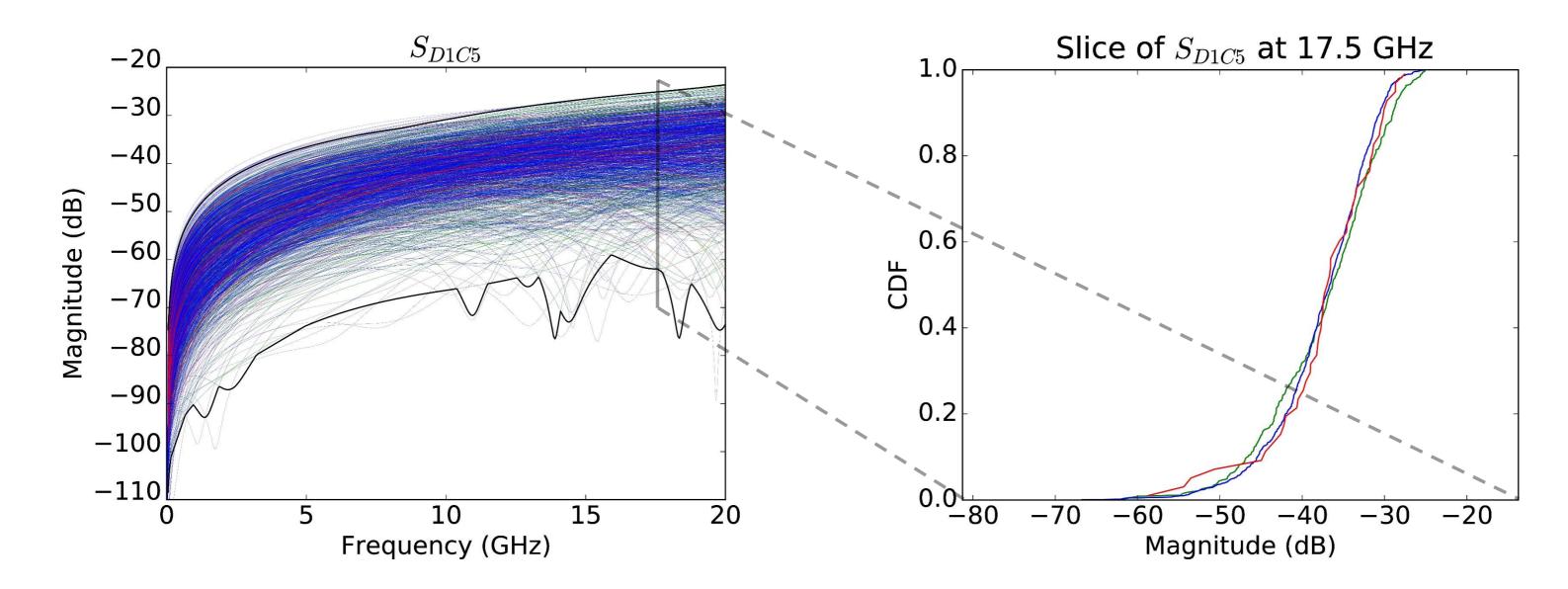
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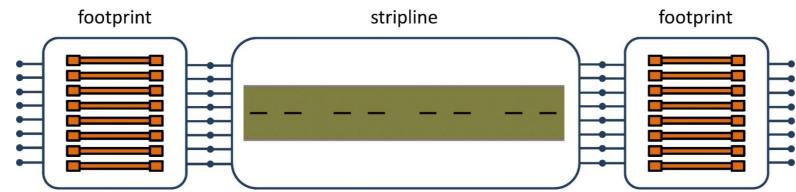
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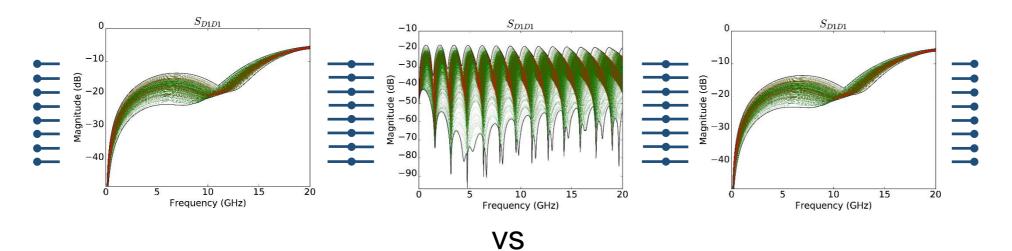


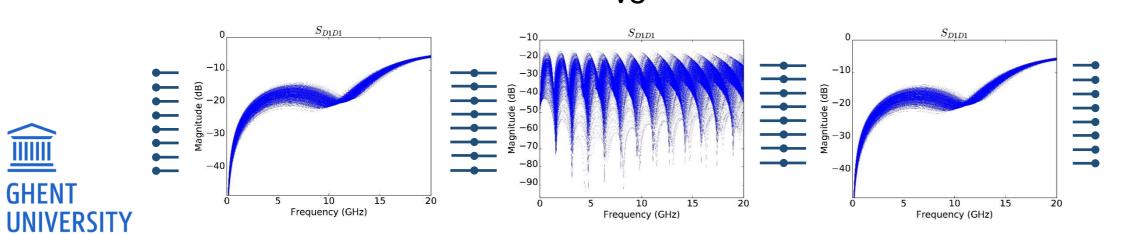
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Cascade footprint – stripline - footprint:

3 sets of generated and simulated S-parameters



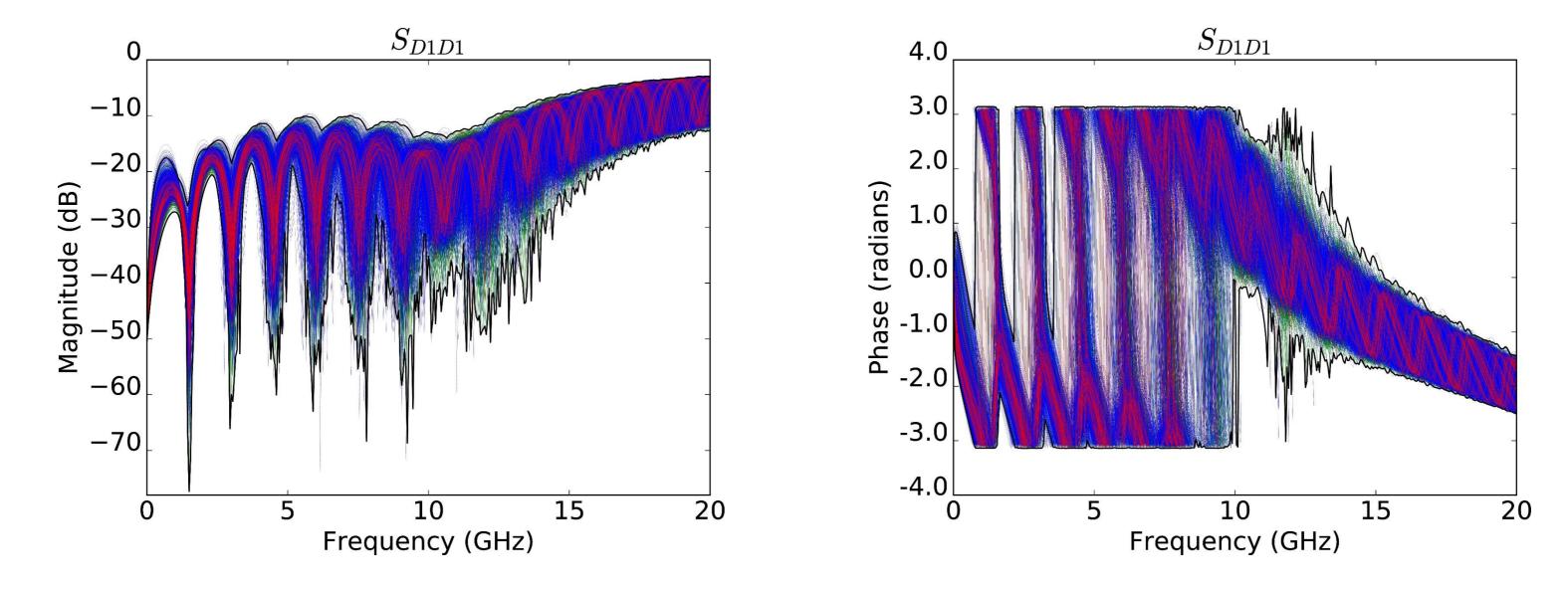




50 Training samples 950 Simulated validation samples

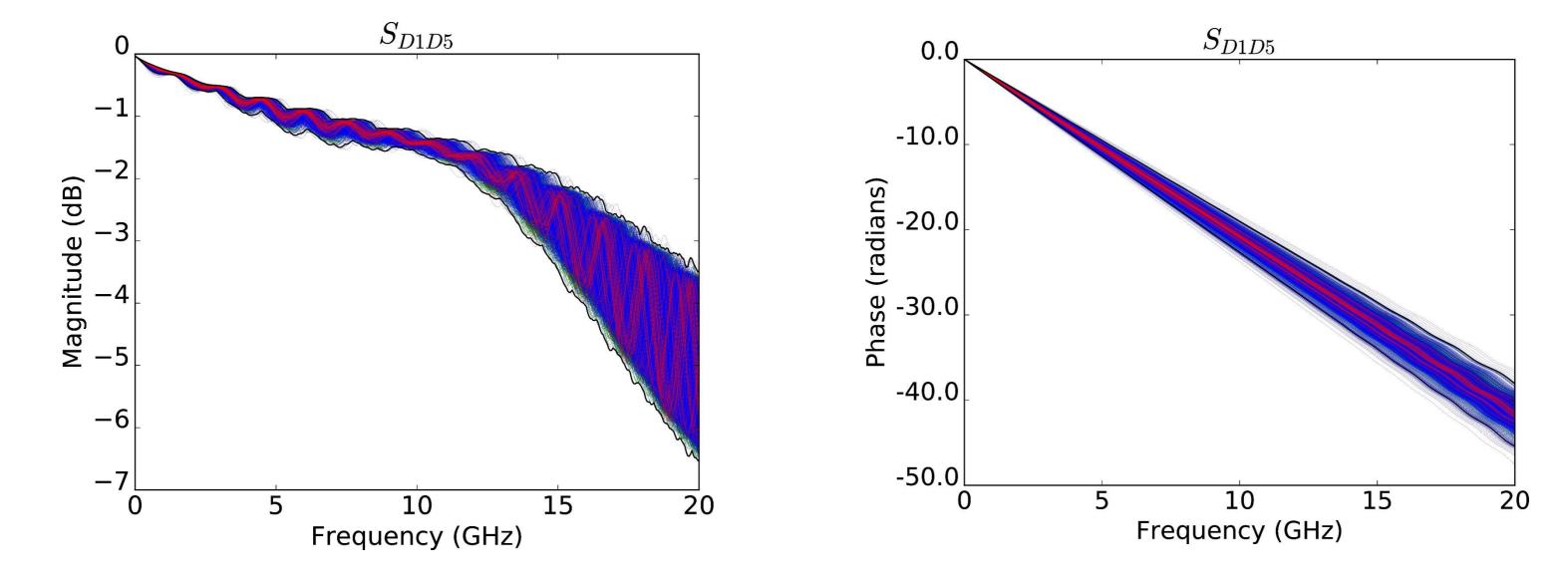
1000 Generated samples

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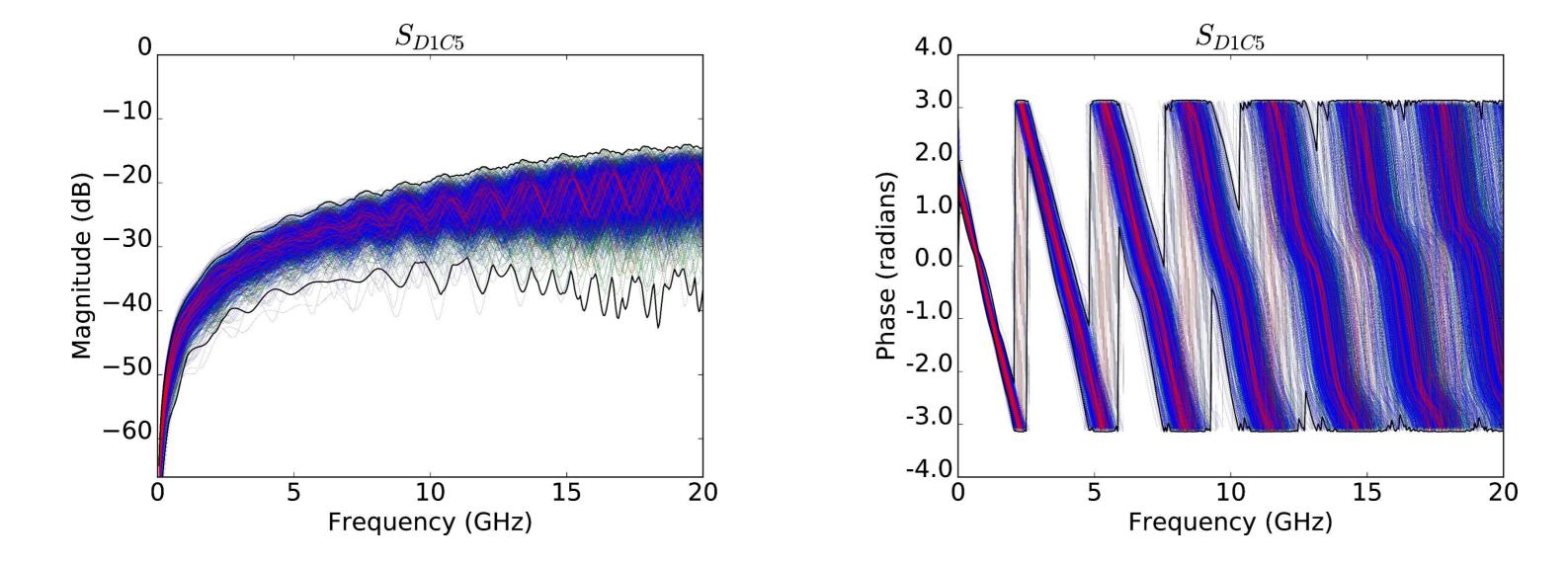


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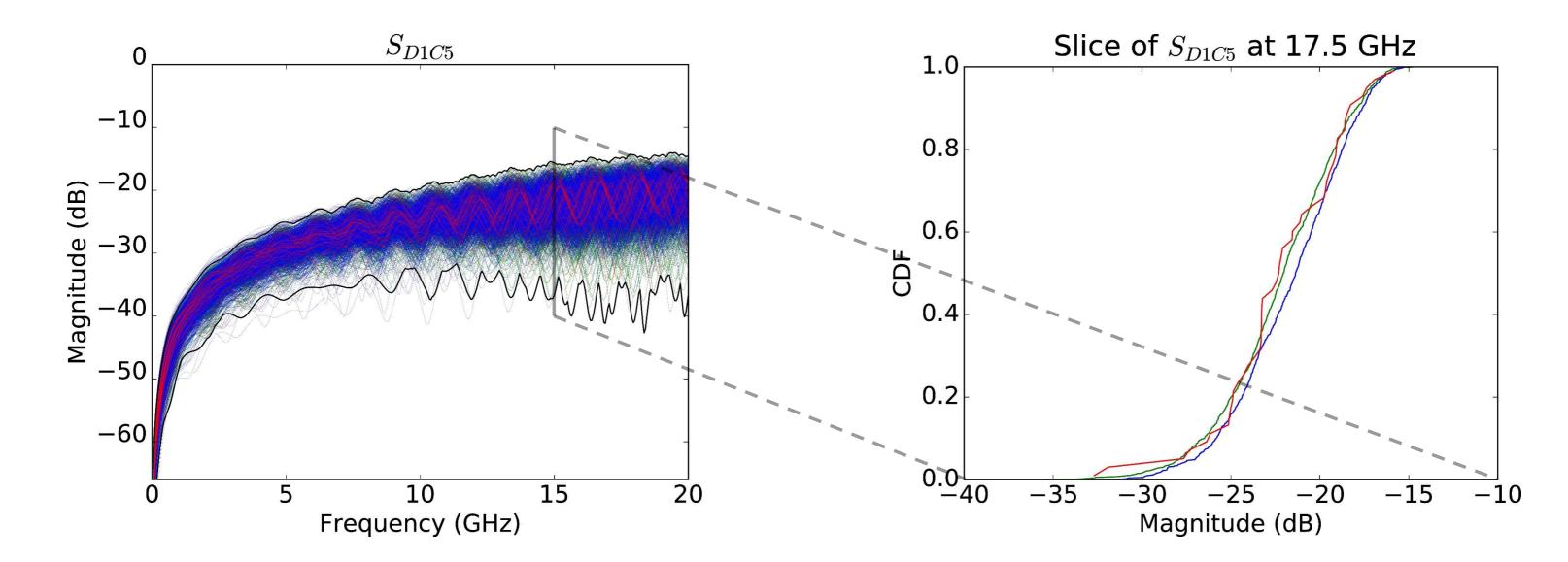
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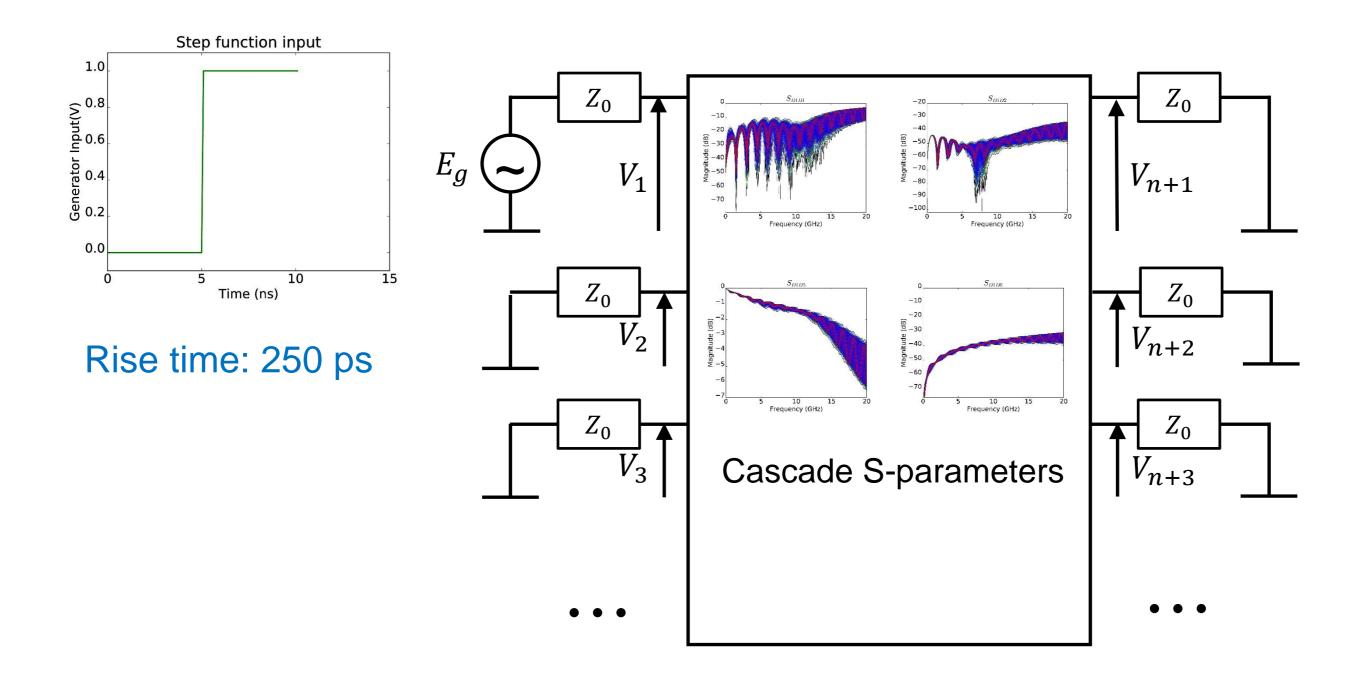


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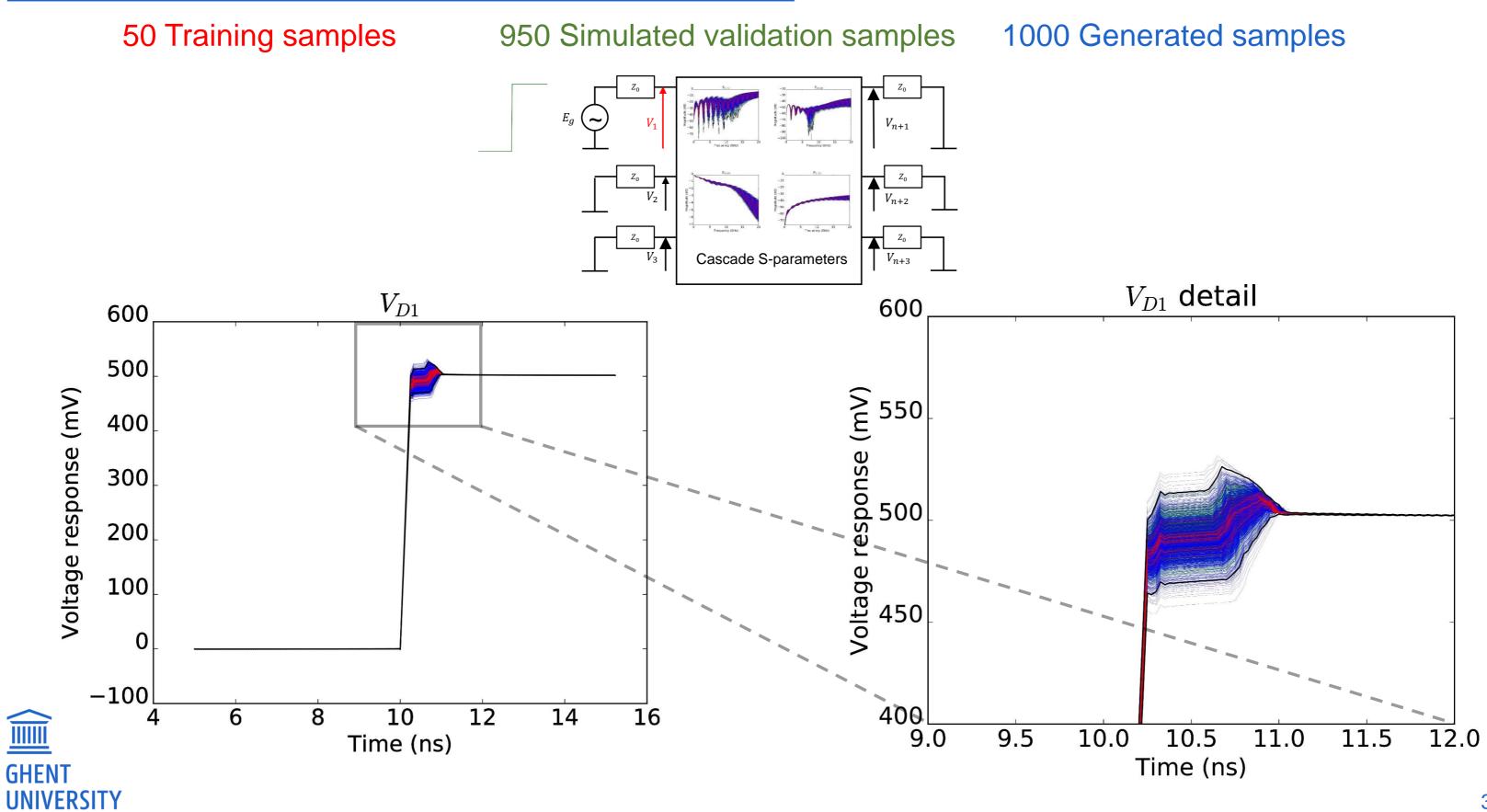


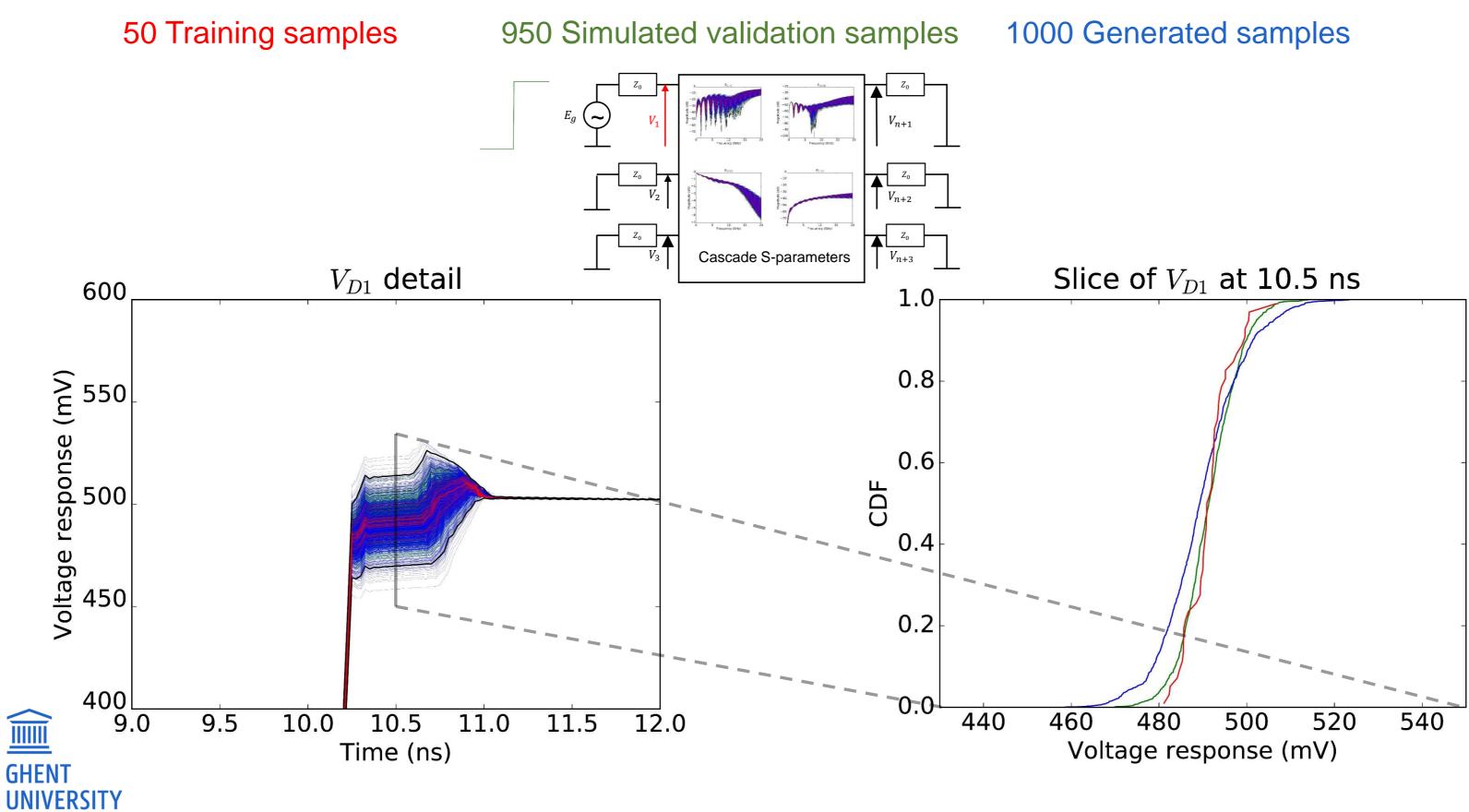
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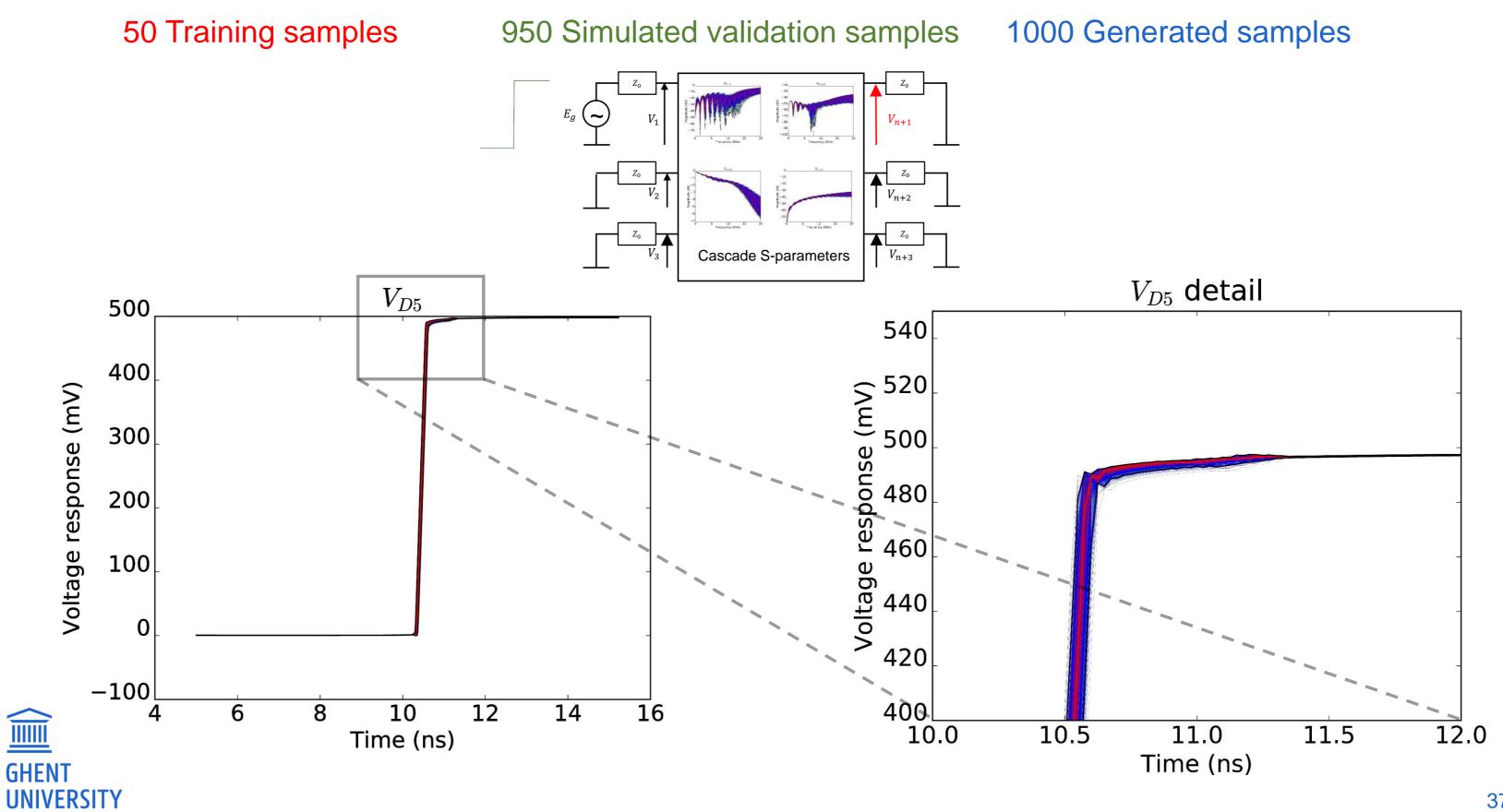


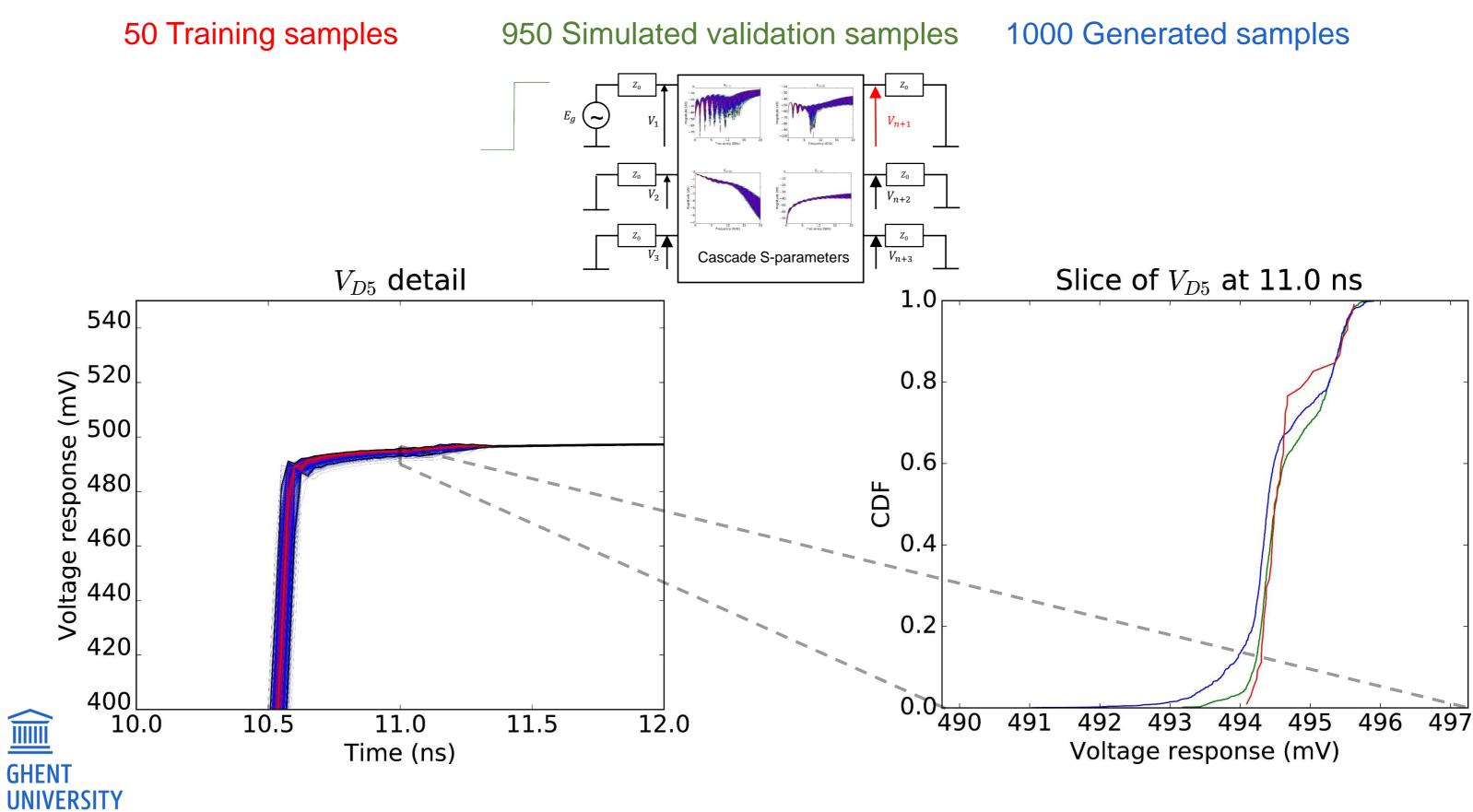


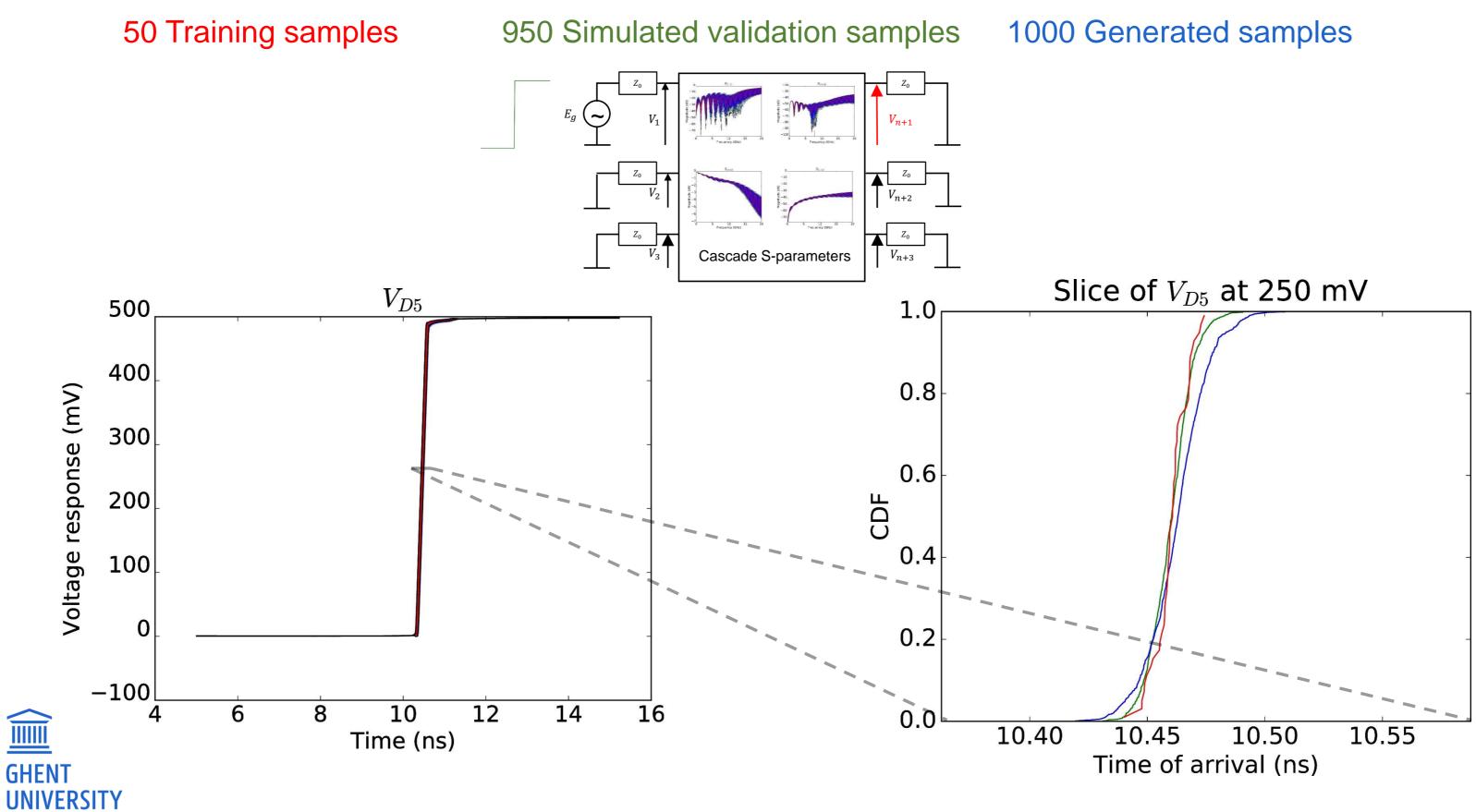












CONCLUSION

Efficient and accurate stochastic generative modeling technique

- Does not require a-priori knowledge of stochastic distribution of input parameters
- only requires a few (possibly expensive/time-consuming) response samples
- Applicable to both S- & RLGC-parameters
- Modular for use in cascades
- Remains accurate in time domain applications





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